

Behaviour of self excited synchronous generator loaded by different sizing induction motors

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Abstract

The modeling of both the synchronous generator and induction motor which is represented by the rotor reference frame was studied where the modeling was established using MATLAB /SIMULINK software package for an isolated synchronous generator direct-on-line with different sized induction motors; 20, 50, and 100 Hp, at manually adjusted excitation voltage values which were maintained constant at 3.35, 4.55, and 6.21 V, respectively. The purpose of this work is to study the impact of a sudden increase in the load torque; from 0 to 150 % with an increase of 25 %, of full load torque was studied at a constant motor speed of 188.49 rad sec⁻¹. On the other hand, the impact of a sudden decrease in the rotor speed by about 20 % from its rated value; from 188.49 to 150.79 rad sec⁻¹ was also studied at full load torque of the same different-sized induction motors. These values were manually recorded and response variables of the generator including terminal voltage, current, output power, electromagnetic torque, and load angle were determined and represented as a function of time. The results illustrated the Changes in the terminal voltage, the current, the output power, the electromagnetic torque, and the load angle as parameters of a synchronous generator for different-sized induction motors.

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1. Introduction

The induction motors are the most energy-consuming loads, especially in isolated grids, such as emergency generation plants, which are used for industrial power loads, shopping centers, hospitals, conveyors, fans, and electric energy systems of ships. Induction motors, especially the squirrel-cage type, are the most common machines used in various industrial applications owing to their simple design, rugged structure, high accuracy, great self-starting ability, good efficiency, and low maintenance requirements.

The direct-on-line starting is the simplest method used for starting the squirrel-cage induction motor in isolated electrical networks. Generally, a normal value of starting current is between 6 to 7 folds the rated current which could reach in large-size induction motors to up to 9 or 10 folds, will cause supply voltage dips and torque disturbance were suggested according to [1,2].

There are many parameters that affect the performance of the synchronous generator such as the sudden changes in each of mechanical input power, excitation voltages, load torque, and also the nature of load type. These changes cause that the performance of the synchronous generator passes by a transient period until reaching the steady-state operative conditions. The various loads of synchronous generators were discussed by several authors but till now, there is no study related to the sudden changes in both mechanical speed and the load [3-8].

Thus, the aim of this work was to study the impact of a sudden increase in the load torque at constant rotor speed as well as the sudden decrease in the rotor speed at full load torque for different sized induction motors on the behavior of the synchronous generator with a constant voltage of excitation. The response variables include the terminal voltage, current,

torque, output power, load angle, and speed where these responses are represented as a function of time.

2. Materials and methods

2.1 The dynamic model of synchronous generator

The synchronous generator applied in this work is composed of uniform three armature windings that are sinusoidally distributed along the air gap, with only one field winding. Additionally, Damper windings existed in the rotor; where one of them is found along the direct-axis; d-axis, and the other one along the quadrature-axis (Q) with 90 electrical degrees behind the d-axis.

The field winding was put on the d-axis where the modeling of the damper circuit was performed throughout a short-circuited winding along the direct and quadrature axis representing the impact of induced currents within the damper bars and further in the rotor body, where the positive rotation direction was opposite to that of clockwise. The positive angle θ was then determined from the axis of phase-A to the d-axis. Based on this, some hypotheses were suggested according to [8] in order to improve the dynamic model of the synchronous generator as shown below:

- Representing the flux linkages as a function of the rotor place,
- Magnetically connected all the windings,
- Neglecting both copper losses and the slots in the synchronous generator, and
- The permeability of both stator and rotor is infinite,

The windings of phases A, B, and C are exemplified with the inductances L_a , L_b , and L_c (self and mutual inductance)T the

magnetic connections between the stator and the rotor parts, as well as the flux linking of the windings are both dependent on the rotor position. The electrical equations were derived using Kirchhoff's voltage law to each winding, in other words, by equalization of the voltage at the terminal of the winding with the sum of all voltages drop (resistive and inductive) across the winding. In addition, if damper windings are present, they are always short-circuited, and their terminal voltage is always zero. As a result, the equations of the dynamic voltage of the synchronous generator were within the rotor reference frame [8, 9] as follows:

$$v_d = -r_s i_d - (L_{ls} + L_{md}) \frac{di_d}{dt} + L_{md} \frac{di_{fd}}{dt} + L_{md} \frac{di_{kd}}{dt} - \omega_r \psi_q \quad (1)$$

$$v_q = -r_s i_q - (L_{ls} + L_{mq}) \frac{di_q}{dt} + L_{mq} \frac{di_{kq}}{dt} + \omega_r \psi_d \quad (2)$$

$$v_o = -r_s \cdot i_o + \frac{d\psi_o}{dt} \quad (3)$$

$$v_{fd} = r_{fd} i_{fd} - L_{md} \cdot \frac{di_d}{dt} + (L_{lfd} + L_{md}) \frac{di_{fd}}{dt} + L_{md} \frac{di_{kd}}{dt} \quad (4)$$

$$v_{kd} = 0 = r_{kd} i_{kd} - L_{md} \frac{di_d}{dt} + L_{md} \frac{di_{fd}}{dt} + (L_{lkd} + L_{md}) \frac{di_{kd}}{dt} \quad (5)$$

$$v_{kq} = 0 = r_{kq} i_{kq} - L_{mq} \frac{di_q}{dt} + (L_{lkq} + L_{mq}) \frac{di_{kq}}{dt} \quad (6)$$

Where these mathematical equations represent the synchronous generator equivalent circuit in the rotor reference frame as illustrated in Fig. (1).

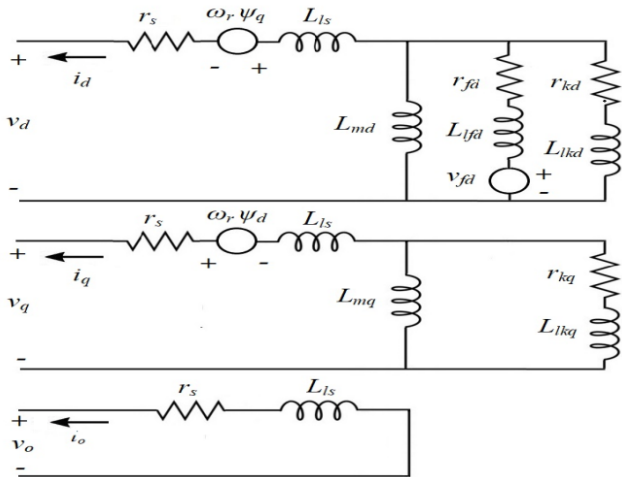


Fig. 1 Equivalent circuit of a three-phase synchronous machine in the rotor reference frame

2.2 The dynamic model of induction motor

The stator of the induction motor is made up of three-phase windings where each of which is separated from the other two by 120 degrees in space and a three-phase rotating magnetic field is created when the current runs throughout these windings. While the squirrel cage type is composed of a number of bars which in turn form a number of symmetrical loops where each is made up of two rotor bars that are joined by two end ring parts. Owing to the coupling between the stator and rotor windings along with the variation of coupling coefficient with the rotor position, studying of the operative performance

of the machine is therefore very complicated. As a result, the dynamic model of the induction motor was described by some differential equations with time-varying coefficients. Therefore, a few assumptions should be applied when the mathematical dynamic model used for a 3-phase squirrel cage induction motor [10-12 and 15] as follows:

- Stator windings are designed and arranged in such a way that they can produce sinusoidal MMF distributions along air gap;
- Mutual inductances are equal value;
- The harmonics in the voltages and the currents are ignored;
- The effects of each saturation, eddy currents, and hysteresis are ignored;
- Uniform air gap;
- The iron parts permeability is unlimited.

To simplify the differential equations that describe the induction motor, the two-axis theory is therefore applied where the performance behavior of the induction motor is described by the time-varying voltage and torque equations.

2.2.1 Voltage equations

2.2.1.1 Stator circuit

Provided the equations of stator voltage for a three-phase induction motor according to [10-13] as follows:

$$v_{as} = R_{as} \cdot I_{as} + \frac{d\psi_{as}}{dt} = R_{as} \cdot I_{as} + p \psi_{as} \quad (7)$$

$$v_{bs} = R_{bs} \cdot I_{bs} + \frac{d\psi_{bs}}{dt} = R_{bs} \cdot I_{bs} + p \psi_{bs} \quad (8)$$

$$v_{cs} = R_{cs} \cdot I_{cs} + \frac{d\psi_{cs}}{dt} = R_{cs} \cdot I_{cs} + p \psi_{cs} \quad (9)$$

2.2.1.2 Rotor circuit

Provided the following equations for the rotor voltage according to [11-15]:

$$v_{ar} = R_{ar} \cdot I_{ar} + \frac{d\psi_{ar}}{dt} = R_{ar} \cdot I_{ar} + p \psi_{ar} \quad (10)$$

$$v_{br} = R_{br} \cdot I_{br} + \frac{d\psi_{br}}{dt} = R_{br} \cdot I_{br} + p \psi_{br} \quad (11)$$

$$v_{cr} = R_{cr} \cdot I_{cr} + \frac{d\psi_{cr}}{dt} = R_{cr} \cdot I_{cr} + p \psi_{cr} \quad (12)$$

Where, ψ_{as} , ψ_{bs} , ψ_{cs} , ψ_{ar} , ψ_{br} , ψ_{cr} are the magnetic flux linkage of phases a, b, and c.

2.2.2 Flux linkage equations

The stator and rotor mutual inductances, also the line currents were used to develop the flux linkage equations between them where the flux linkages were provided by [11-15] as shown below:

$$\psi_{as} = L_{asas} i_{as} + L_{asbs} i_{bs} + L_{ascs} i_{cs} + L_{asar} i_{ar} + L_{asbr} i_{br} + L_{ascr} i_{cr} \quad (13)$$

$$\psi_{bs} = L_{bsas} i_{as} + L_{bsbs} i_{bs} + L_{bscs} i_{cs} + L_{bsar} i_{ar} + L_{bsbr} i_{br} + L_{bscr} i_{cr} \quad (14)$$

$$\psi_{cs} = L_{csas} i_{as} + L_{csbs} i_{bs} + L_{cscs} i_{cs} + L_{csar} i_{ar} + L_{csbr} i_{br} + L_{cscr} i_{cr} \quad (15)$$

$$\psi_{ar} = L_{aras} i_{as} + L_{arbs} i_{bs} + L_{arcs} i_{cs} + L_{arar} i_{ar} + L_{arbr} i_{br} + L_{arcr} i_{cr} \quad (16)$$

$$\psi_{br} = L_{bras} i_{as} + L_{brbs} i_{bs} + L_{brcs} i_{cs} + L_{brar} i_{ar} + L_{brbr} i_{br} + L_{brcr} i_{cr} \quad (17)$$

$$\psi_{cr} = L_{cras} i_{as} + L_{crbs} i_{bs} + L_{crCs} i_{cs} + L_{crar} i_{ar} + L_{crbr} i_{br} + L_{crrr} i_{cr} \quad (18)$$

Where: i_{as}, i_{bs}, i_{cs} are the stator windings currents, i_{ar}, i_{br}, i_{cr} are the rotor windings currents and the inductances are described below.

2.2.3 Inductances equations

2.2.3.1 Stator inductances

The main components of the self-inductance of the stator windings are magnetizing and leakage inductance. As the windings are symmetrical, the self-inductance of all stator windings is thus equal, as given by the following relationships [11-14]:

$$L_{asas} = L_{bsbs} = L_{cscs} = L_{ms} + L_{ls} \quad (19)$$

Where L_{ls} : is the stator leakage inductance identical for all phases and L_{ms} : is the stator magnetizing inductance.

Because of consistency of the stator windings, the mutual inductance of any two stator windings is equal.

$$L_{asbs} = L_{bsas} = -0.5L_{ms} \quad (20)$$

$$L_{bscs} = L_{csbs} = -0.5L_{ms} \quad (21)$$

$$L_{csas} = L_{ascs} = -0.5L_{ms} \quad (22)$$

Where, L_{ms} is the magnetizing inductance of the stator windings.

2.2.3.2 Rotor inductances

As with the stator, the rotor self-inductance is equal as shown by the following relations presented by [11-14]:

$$L_{arar} = L_{brbr} = L_{crrr} = L_{lr} + L_{mr} \quad (23)$$

Where L_{lr} : is the rotor leakage inductance which symmetrical for all phases and L_{mr} is the rotor magnetizing inductance.

The mutual inductances are then calculated as follows:

$$L_{arbr} = L_{brar} = -0.5L_{mr} \quad (24)$$

$$L_{brcr} = L_{crbr} = -0.5L_{mr} \quad (25)$$

$$L_{crrr} = L_{arcr} = -0.5L_{mr} \quad (26)$$

Where L_{mr} is the magnetizing inductance of the rotor

2.2.3.3 Mutual inductances between stator and rotor windings

It was observed that the mutual inductance between a stator winding and any rotor winding changes sinusoidally with the rotor position according to [11-14] as follows:

$$L_{asbr} = L_{bsbr} = L_{cscr} = L_{msr} \cos(\theta_r) \quad (27)$$

$$L_{ascr} = L_{bsar} = L_{csbr} = L_{msr} \cos\left(\theta_r - \frac{2\pi}{3}\right) \quad (28)$$

$$L_{asbr} = L_{bscr} = L_{csar} = L_{msr} \cos\left(\theta_r + \frac{2\pi}{3}\right) \quad (29)$$

Where θ_r : is rotor angle, L_{msr} : is the mutual inductance between a rotor and stator winding when the rotor angle is such that the rotor and the stator magnetic axes are aligned, and the subscripts indicate which rotor and stator windings defining the mutual inductance between them. As a result, the derivatives of such these inductances related to the time are implicitly exist the machine equations where the three-phase squirrel-cage induction motors in the rotating DQ axis were described as follows according to [12]:

$$v_{ds} = R_s \cdot i_{ds} + \frac{d\psi_{ds}}{dt} - \omega_r \psi_{qs} \quad (30)$$

$$v_{qs} = R_s \cdot i_{qs} + \frac{d\psi_{qs}}{dt} + \omega_r \psi_{ds} \quad (31)$$

$$v_{dr} = 0 = R_r \cdot i_{dr} + \frac{d\psi_{dr}}{dt} \quad (32)$$

$$v_{qr} = 0 = R_r \cdot i_{qr} + \frac{d\psi_{qr}}{dt} \quad (33)$$

Therefore, figure (2) illustrates the equivalent circuits of a 3-phase squirrel cage induction motor by the rotor reference frame with ignored zero sequence components according to [10] as follows:

$$\psi_{ds} = L_s i_{ds} + L_m i_{dr} \quad (34)$$

$$\psi_{qs} = L_s i_{qs} + L_m i_{qr} \quad (35)$$

$$\psi_{dr} = L_r i_{dr} + L_m i_{ds} \quad (36)$$

$$\psi_{qr} = L_r i_{qr} + L_m i_{qs} \quad (37)$$

$$\begin{bmatrix} v_{ds} \\ v_{qs} \\ 0 \\ 0 \end{bmatrix} = \begin{bmatrix} R_s + pL_s & -\omega_r L_s & pL_m & -\omega_r L_m \\ \omega_r L_s & R_s + pL_s & \omega_r L_m & pL_m \\ pL_m & 0 & R_r + pL_r & 0 \\ 0 & pL_m & 0 & R_r + pL_r \end{bmatrix} \begin{bmatrix} i_{ds} \\ i_{qs} \\ i_{dr} \\ i_{qr} \end{bmatrix} \quad (38)$$

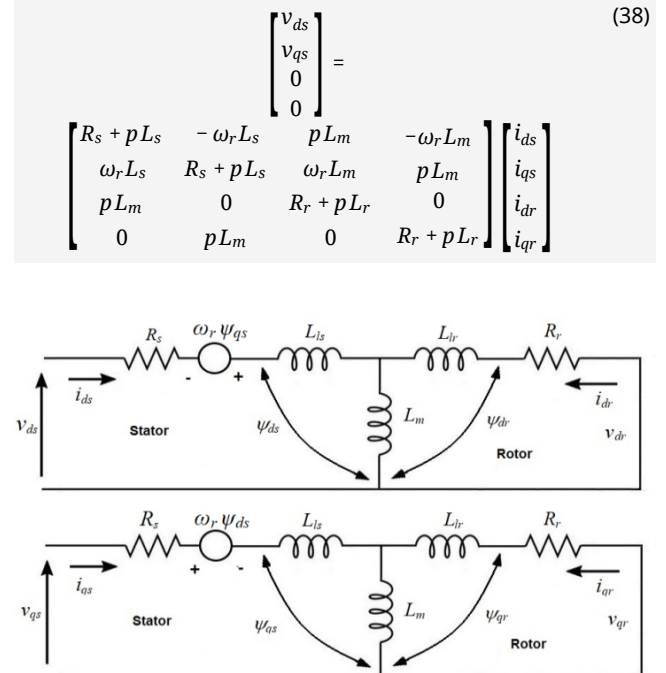


Fig. 2 The induction motor equivalent circuit in the rotor reference frame

2.3 The dynamic model of synchronous generator D.O.L induction motor

Figure (3) illustrates the equivalent circuit of the isolated synchronous generator direct online by the squirrel cage induction motor by the rotor reference frame. In addition, the equation (18) represents all equations of stator voltage, and current of the synchronous generator D.O.L by induction motor in the rotating DQ axis, indicating that they are on the same voltage and current.

$$v_d = v_{ds} \tag{39}$$

$$v_q = v_{qs} \tag{40}$$

$$i_d = i_{ds} \tag{41}$$

$$i_q = i_{qs} \tag{42}$$

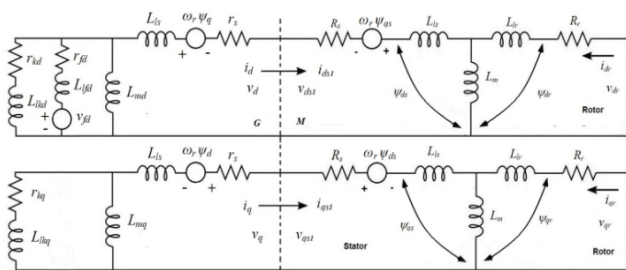


Fig. 3 Equivalent Circuit of an isolated synchronous generator D.O.L induction motor in rotor reference frame

3. Results and discussion

3.1 Matlab/Simulink model

Figure (4) illustrates the performed dynamic modeling of an isolated synchronous generator direct online by induction motor using MATLAB /SIMULINK software package where the synchronous generator was loaded with different sized induction motors loads (20, 50, and 100 Hp). In manual mode, the excitation voltage is set with the required values of 3.36, 4.64, and 6.21 V, respectively to maintain the generator's terminal voltage equal to the estimated value of 460 V at full load. Subsequently, the simulated values of each terminal voltage, current, output power, torque, load angle, and speed as a function of time were determined. The performance of the synchronous generator with a constant excitation voltage is affected by several operative parameters like the sudden increase in the load torque at a constant rotor speed of 188.49 rad sec⁻¹ and as well as the sudden decrease in rotor speed at full load torque. The specifications of the synchronous generator and the different sized induction motors used in this work exist in the Appendix.

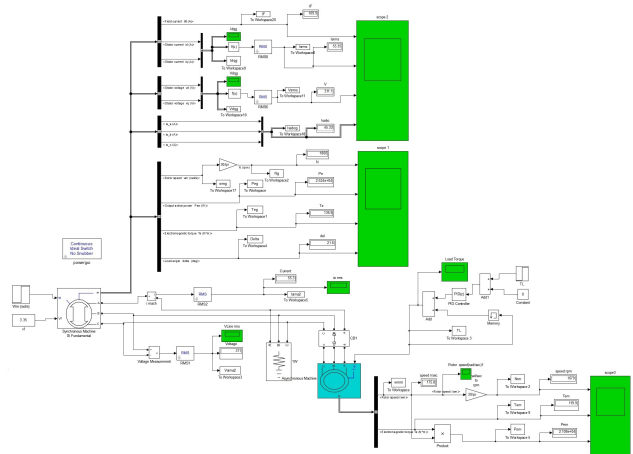


Fig. 4 MATLAB /SIMULINK model of an isolated Synchronous Generator D.O.L Starting Induction Motor load

3.2 Effect of the sudden increase in the load torque at constant the rotor speed

With different-sized induction motors (20, 50, and 100 Hp), the synchronous generator was firstly connected direct-on-line with the induction motor without load torque ($T_L=0$) in the period (0-2 s) and the load torque was then suddenly applied in a step form in the periods 2-4, 4-6, 6-8, 8-10, 10-12, and 12-14 s, where the load torque ranged from 25% to 150 % of full load torque with a gradual increase of 25 %, respectively, Figure 5(a). The values of starting currents were obtained to be 163.35, 470.4, and 989 A, respectively for different sized induction motors of 20, 50, and 100 Hp, which increased by about 6 - 9 folds of full load current, and in some cases, it could attain 10 folds. The current drawn by the induction motor in the period of 0-2 s which was just after starting the period with no-load ($T_L=0$) is known as the no-load current which represents about 40-50 % of full load currents of 9.72, 27.65, and 54.78 A, respectively.

Moreover, it was found that when these loads were applied during the mentioned periods, the current drawn (withdrawn) by the induction motor gradual increased, and it reaches to the full load current of 27.6 and 54.7 A, respectively for induction motors with sizes of 20 and 50 Hp at full load torque in the period 8-10 s. on the other hand, it was also observed that the current drawn by an induction motor with size of 100 Hp did not meet the full load current as in Fig. 5(b). While, it increased greatly versus the dip in voltage in a 50, and 100 Hp- induction motors, as in Fig. 5(b).

Also, the field current instantaneously increased when the load torque increased, and it return to maintain constant value at 99.06 and 134.35 A, respectively for induction motors with sizes of 20, 50 and 100 Hp at full load torque in the period 8-10 s this because the excitation system employed is a battery with a constant voltage. While, it increased as similar to stator current greatly versus the dip in voltage in a 50, and 100 Hp- induction motors, as in Fig. 5(c).

The voltage at the generator terminals declined with each increase in the load torque until the voltage-dip. The voltage dip occurred after loading by 125, 100, and 75 % of full load torque for induction motors with sizes of 20, 50, and 100 Hp, respectively. The voltage dip is due to the load torque become greater than the generation torque, and there is no procedure (voltage regulator) to bring the terminal voltage back to the setpoint by increasing the field, as in Fig. 5(d).

Moreover, the power drawn by the induction motor increased

provisionally after the no-load period reaching thereafter a steady state condition for each increase in the load applied on the induction motor as mentioned above where it approaches almost zero after the voltage-dip, Fig. 5(e). There is a direct relation between the electrical torque and the output power and an inverse relation between the electrical torque and rotor speed where $T_{em} = \frac{P_{out}}{\omega_s}$. As a result, the torque increased temporarily reaching thereafter a stable condition with each increment in the load applied on the induction motor with a similar trend of output power. It is due to the constant speed and approaching near zero after voltage dip, Fig. 5(f). In addition, the load angle increased with an increase in the load torque, but it increased instantaneously and then decreased thereafter when the voltage-dip occurred, Fig. 5(g).

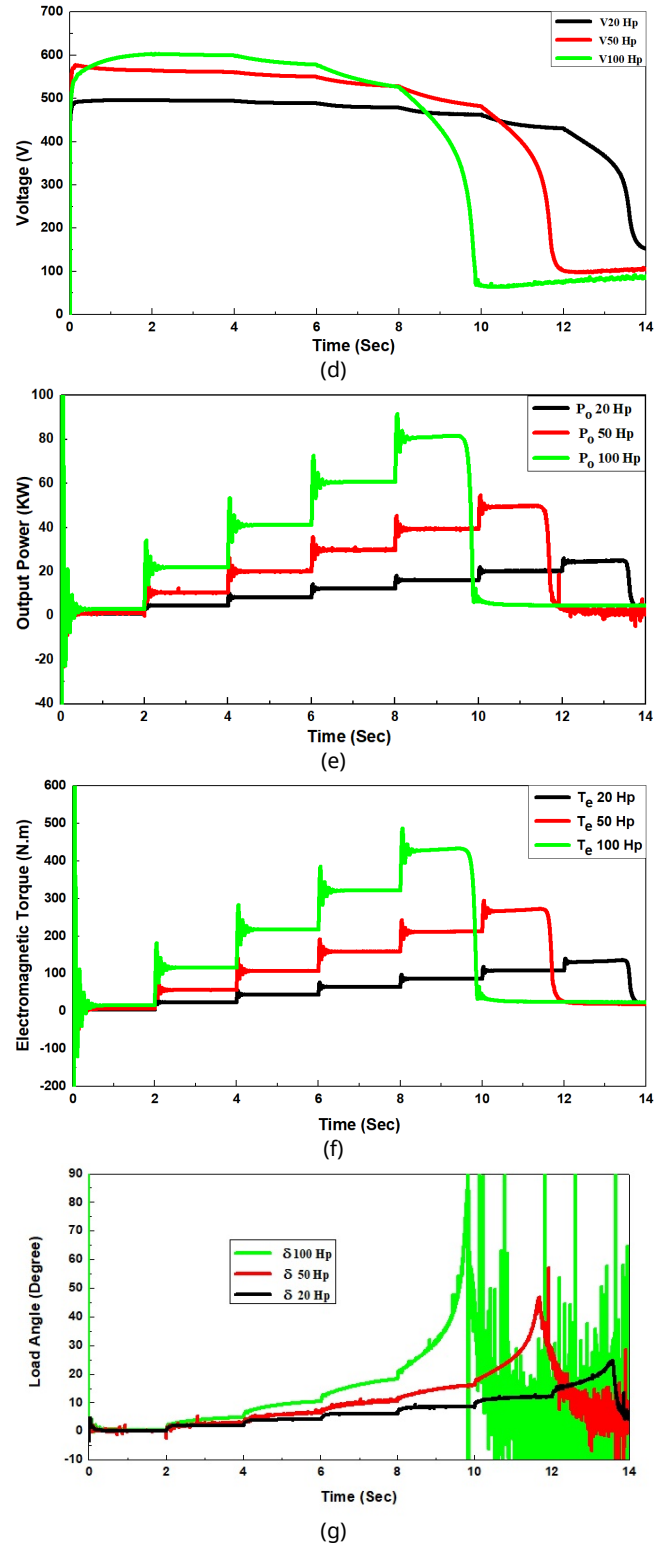
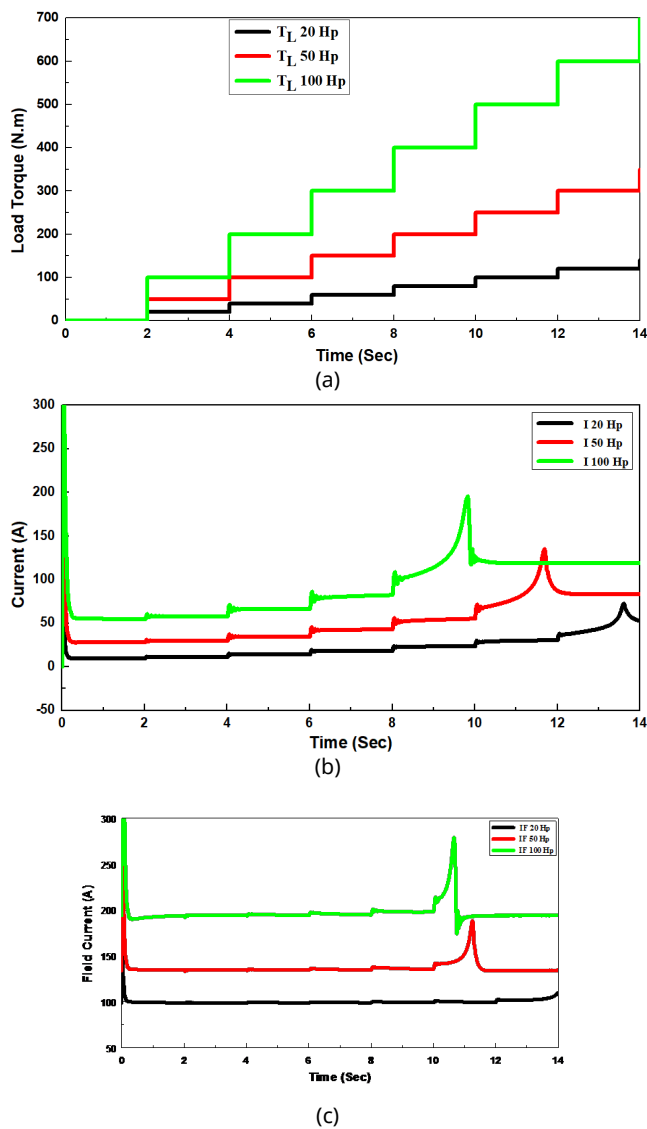


Fig. 5 Impact of a sudden increase in the load torque at a constant rotor speed on an isolated synchronous generator D.O.L by different sizing induction motors (20, 50, 100 Hp) at constant the rotor speed (a) Load torque, (b) Stator Current, (c) Field Current (d) Voltage, (e) Output Power, (f) Torque and (g) Load Angle.

3.3 Effect of the sudden decrease in the rotor speed

It was found that decreased mechanical input power results in a smaller turbine torque passed to the synchronous generator decreasing the rotor speed. Figure (6) illustrates the impact of the sudden decrease in rotor speed from 188.49 rad/sec to 150.72 rad/sec in the period of 2-4 s on the behavior of an isolated synchronous generator direct-on-line by different sized induction motors of 20, 50, and 100 Hp at full load torque.

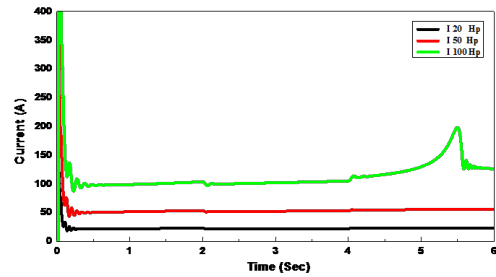
The current drawn by the induction motor declined when the rotor speed decreased from 22.89, 53.66, and 103.95 A to 22.5, 53.09, and 105.4 A respectively, reaching thereafter a stable condition in the two sized induction motors of 20, 50 Hp. While, it increased greatly versus the dip in voltage in a 100 Hp-induction motor, as in Fig. 6(a). Also, the field current decreased slightly when the rotor speed decreased from 99.37, 137.72, and 197.51 A to 98.95, 136.39, and 195.76 A respectively reaching thereafter a stable condition in the two sized induction motors of 20, 50 Hp, because the excitation system employed is a battery with a constant voltage. While, it increased as similar to stator current greatly versus the dip in voltage in a 100 Hp-induction motor, as in Fig. 6(b).

Furthermore, it was found that the generator terminal voltages declined when the rotor speed decreased from 467.7, 496.9, 498.8V to 372.4, 387.6, 366. and 09 V, respectively, reaching thereafter a stable condition in two sized induction motors of 20 and 50 Hp. While, the voltage-dip occurred in a 100 Hp-induction motor, as in Fig. 6(c). The voltage dip is due to the decrease in the rotor speed as a result of decreasing the fuel amount which in turn decreases the generating torque, and also this model there is no contains (voltage regulator) to bring the terminal voltage back to the setpoint by increasing the field.

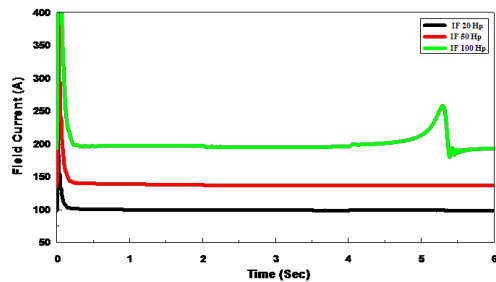
Manually, the excitation voltage was adjusted to (3.36, 4.64, and 6.21 V), respectively to keep the flux of the field constant. As a result, the internal generated voltage $E_A = K\omega$ decreased. Therefore, a decrease in output power was observed with a decrease in the terminal voltage where $P_{out} = \left(\frac{3 * V_t * E_A}{Z}\right) * \sin \delta$, it declined from 16.19, 39.05, 78.83 Kw to 12.59, 30.45, and 59.47 Kw, respectively reaching thereafter a stable condition in two sized induction motors of 20 and 50 Hp. while in a 100 Hp- induction motor, the output power approached almost zero after occurring the voltage-dip as Fig. 6(d).

Due to the direct relationship between the electrical torque and the output power and the inverse relation between the electrical torque and the rotor speed ($T_{em} = P_{out} / \omega_s$), it declined as rotor speed was decreased from 86.12, 211.5, and 428.17 Nm to 84.18, 204.9, and 406.67 Nm respectively reaching thereafter a stable condition in two sized induction motors of 20, 50 Hp. But in a 100 Hp- induction motor, the torque approached almost zero after occurring the voltage-dip, as Fig. 6(e).

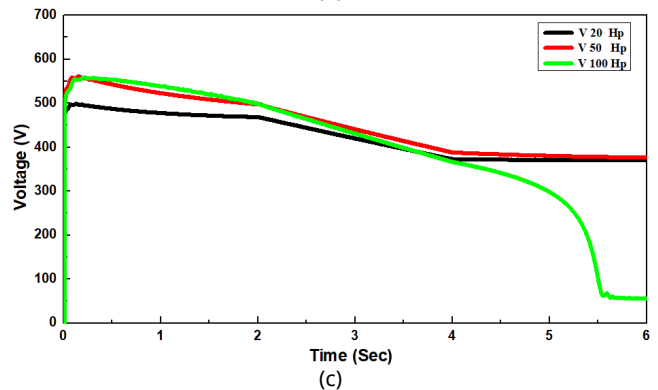
Conversely, as the rotor speed decreased, the load angle (δ) increased from 7.6, 14.48, and 24.73 ° to 8.18, 15.95, and 28.34° where $\frac{d\delta}{dt} = \omega_e - p\omega_m$, reaching thereafter a stable condition in two sized induction motors of 20, 50 Hp. However, it increased greatly versus the dip in the voltage in the 100 Hp- induction motor, as Fig. 6(f).



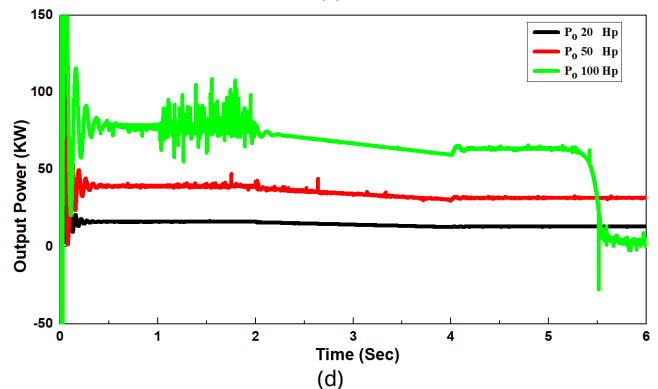
(a)



(b)



(c)



(d)

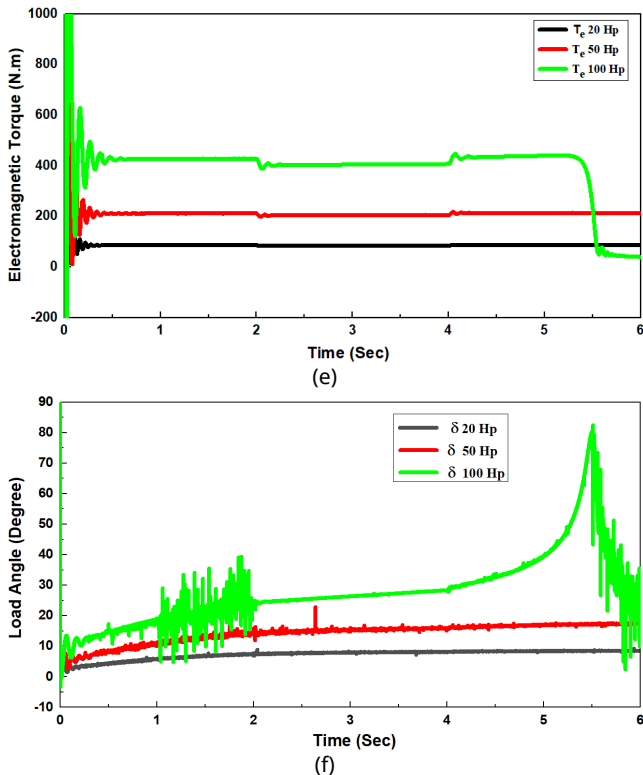


Fig. 6 Effect of the sudden change in the rotor speed on an isolated synchronous generator D.O.L by different sizing induction motors (20, 50, 100 Hp) at full load torque on (a) Stator Current, (b) Field Current (c) Voltage, (d) Output Power, (e) Torque, and (f) Load Angle.

4. Conclusion

In this study, the mathematical dynamic model of the synchronous generator direct-on-line by an induction motor is analyzed in case of rotor reference frame. The modeling of an isolated synchronous generator direct-on-line by different sizes induction motors (20, 50, 100 Hp) was performed using MATLAB /SIMULINK software package with constant and adjusted the excitation voltage at (3.35, 4.55 and 6.21V), respectively. The generator parameters were experimentally measured and the generator simulated values (terminal voltage, current, output power, electromagnetic torque and, load angle as function of time) were subsequently calculated.

The obtained results show that the current, the output power, the electromagnetic torque and the load angle increased with increasing the load torque at constant speed. While, the terminal voltage decreased with increasing the load torque at constant speed. In case of a sudden decrease in the rotor speed at full load torque, only the load angle increased. In this study, the voltage dip may be due to

- 1) The load torque was greater than the generation torque,
- 2) The decrease in the rotor speed as a result of decreasing the fuel amount which in turn decreases the generating torque.

Appendix

The specifications of the synchronous generator as well as the induction motors applied in the simulation were as follows:

Synchronous generator specifications

The synchronous generator applied in this work was 100 KVA, 460 V, 125.5-A, 60 Hz, 4 pole 3-phase cylindrical pole synchronous generator, star-connected

Per phase stator resistance (R_s): 0.055 Ω

Per phase stator reactance (X_s): 21.6317 Ω

Resistance of the field windings $R_f = 0.03386 \Omega$

The generator moment of inertia $J = 0.7136 \text{ kg.m}^2$

The generator's friction factor $B = 0.06 \text{ N.ms}$

Rated rotor Speed = 1800 r.p.m.

Induction motor 1 specifications

Three-phase squirrel cage Yconnected, 20 HP, 460-V, 23.4 -A, 60 Hz, 4 poles

Speed (N): 1760 rpm

Per phase stator resistance (R_1): 0.2761 Ω

Per phase stator reactance (X_1): 0.82598 Ω

Referred rotor per phase resistance (R_2): 0.1645 Ω

Referred rotor per phase reactance (X_2): 0.82598 Ω

Magnetizing inductance (X_m): 28.704 Ω

Moment of inertia (J): 0.1 kg m²

Friction factor (F): 0.01771 N m s

Induction motor 2 specifications

Three-phase squirrel cage Yconnected, 50 HP, 460-V, 52-A, 60 Hz, 4 poles

Speed (N): 1780 rpm

Per phase stator resistance (R_1): 0.09961 Ω

Per phase stator reactance (X_1): 0.32685 Ω

Referred rotor per phase resistance (R_2): 0.05837 Ω

Referred rotor per phase reactance (X_2): 0.32685 Ω

Magnetizing inductance (X_m): 11.4567 Ω

Moment of inertia (J): 0.4 kg m²

Friction factor (F): 0.02187 N m s

Induction motor 3 specifications

Three-phase squirrel cage Y-connected, 100 HP, 460-V, 117-A, 60 Hz, 4 poles

Speed (N): 1780 rpm

Per phase stator resistance (R_1): 0.03957 Ω

Per phase stator reactance (X_1): 0.146649 Ω

Referred rotor per phase resistance (R_2): 0.02215 Ω

Referred rotor per phase reactance (X_2): 0.146649 Ω

Magnetizing inductance (X_m): 6.2731322 Ω

Moment of inertia (J):1.3 kg m²

Friction factor (F):0.05543 N m s

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